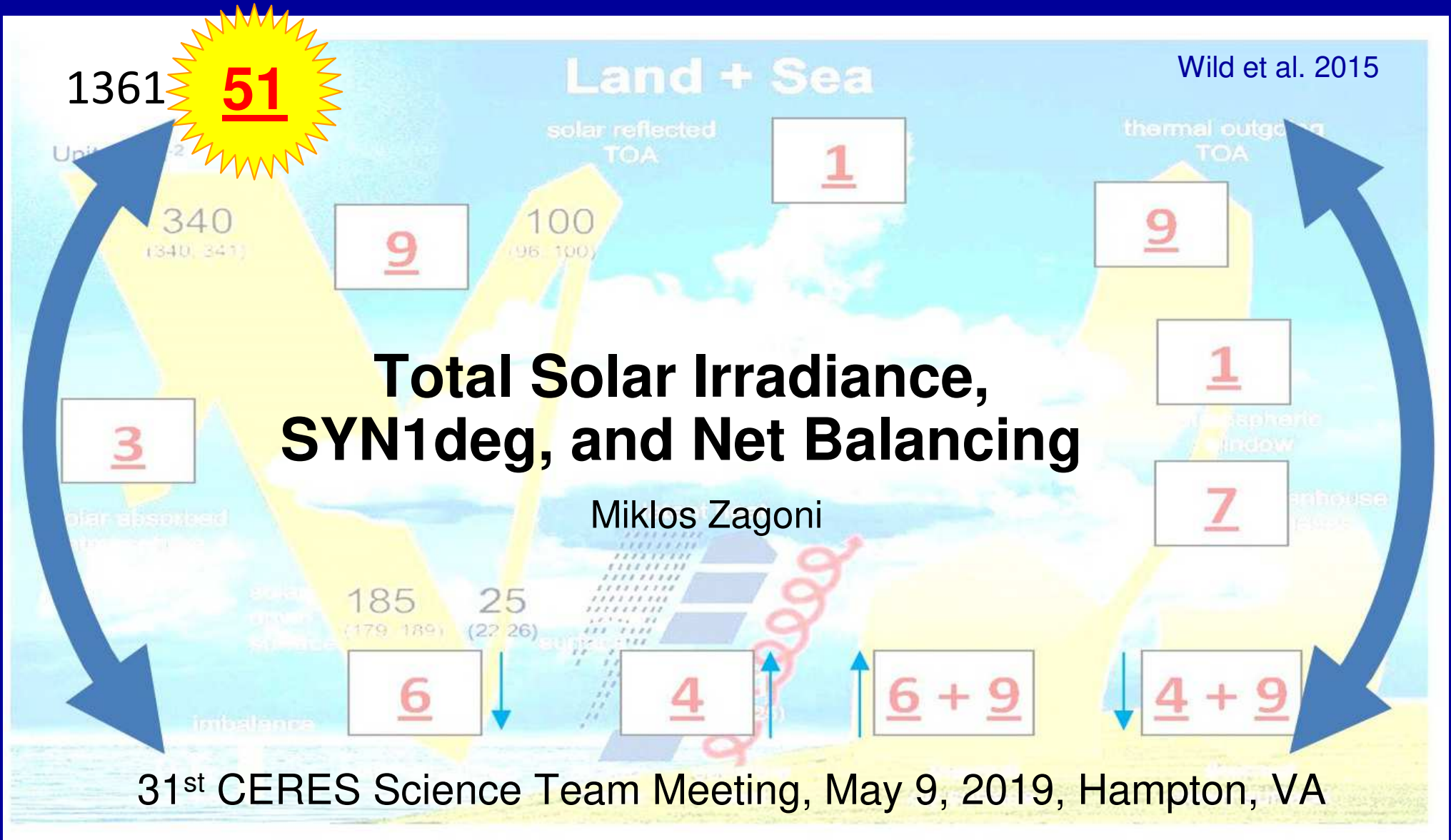


Patterns in the CERES Global Mean Data, Part 3.



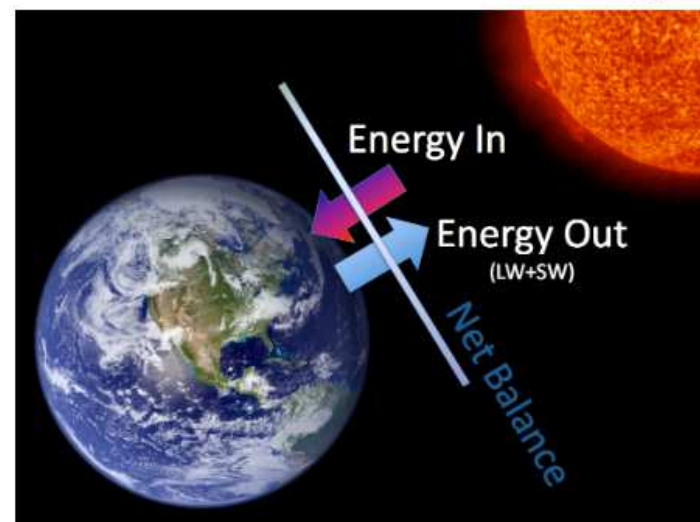
“Instead of the traditional paradigm of properties define processes, study how processes define property” — *Graeme Stephens*

DATA: CERES SYN1deg Ed4A TOA

All-sky, Oct 2000 – Sep 2018 (216 months)

- TSI = 1360.9 ± 0.5
- TOA SW in = **340.0** **EBAF Ed4.0**
- TOA SW up = **97.1** **+2.0** **99.1**
- TOA LW = **238.6** **+1.5** **240.1**
- Net = **4.3**

CERES Earth's Radiation Budget



Constraint I.

$E_{in} = E_{out}$

Loeb et al. (2018) J Clim, Table 5

	<u>EBAF Ed2.8</u>		<u>EBAF Ed4.0</u>	
	Unadjusted	With constraint	Unadjusted	With constraint
Incoming Solar	339.8	339.8	340.0	340.0
All-sky LW	238.7	239.6	238.6	240.1
All-sky SW	97.9	99.6	97.1	99.1
All-sky net	3.2	0.63	4.3	0.71
Clear-sky LW	264.5	265.4	266.3	268.1
Clear-sky SW	51.5	52.5	52.3	53.3
Clear-sky net	23.8	21.9	21.4	18.6
LW CRE	25.8	25.8	27.7	27.9
SW CRE	-46.4	-47.1	-44.8	-45.8
Net CRE	-20.6	-21.3	-17.1	-17.9

The net TOA flux error due to absolute calibration uncertainty is thus $(2^2 + 3.7^2)^{1/2} = 4.2 \text{ W m}^{-2}$.

L(2009)

A **NEW** Constraint in CERES **SYN1deg** Ed4A **SFC** **Clear-sky** Oct 2000 – Sep 2018

SFC SW down = 242.65
– SFC SW up = – 28.40
= SFC SW net = **214.25**

SFC LW down = 317.77
– SFC LW up = – 397.23
= SFC LW net = **– 79.46**

SFC SW+LW net = 134.79

TOA LW = 268.15

TOA LW / 2 = 134.08

Diff = 0.71

Constraint II.

SFC SW+LW net

= TOA LW / 2

What Does Constraint II. Mean?

As an illustration, consider the case of radiative equilibrium with black bodies emitting $B^*(0)$ or $B^*(\tau_1)$ at the two boundaries. The third terms on the right-hand side of (2.144) and (2.145) are now zero and

$$F/2\pi = B(0) - B^*(0) = B^*(\tau_1) - B(\tau_1). \quad (2.146)$$

Equation (2.146) requires a discontinuity in the Planck function, implying a discontinuity of temperature, at the boundary.

The class of approximation of which (2.140) is representative is extensive and a large number of different names and terms are used to describe members of the class: the *Schwarzschild–Schuster* approximation, the *Eddington* approximations, *Chandrasekhar's first*

Discontinuity in the Planck function at the boundary = $F/2\pi$

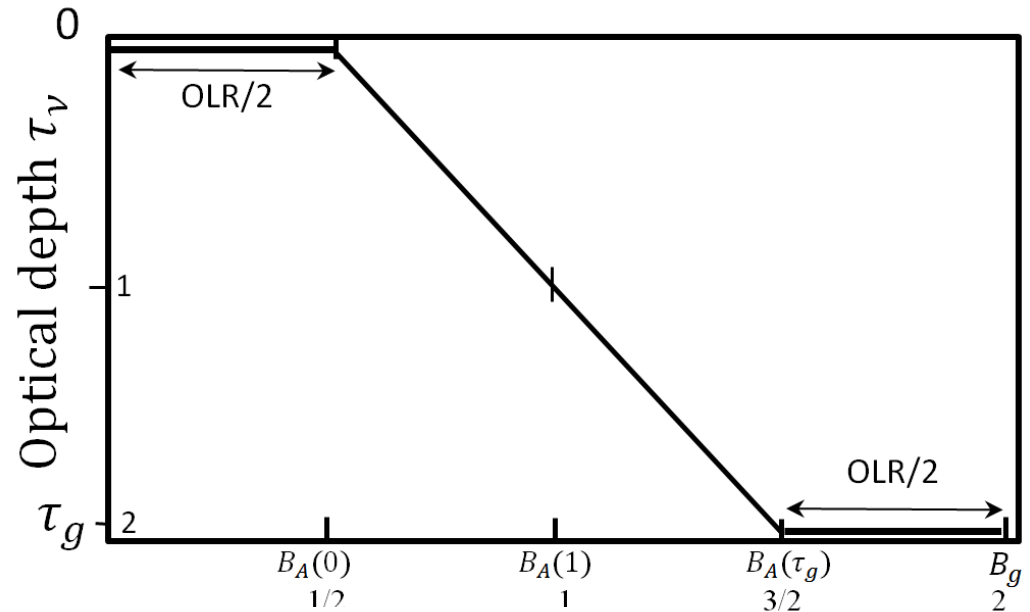
Goody and Yung (1989)

Discontinuity at the ground = $OLR/2$, independent of the optical thickness

Several books,
lecture notes

$$\sigma T_A^4 = OLR(1 + \tau)/2$$

$$\sigma T_g^4 = OLR(2 + \tau)/2$$



$$\sigma T_g(\tau_g)^4 - \sigma T_A(\tau_g)^4 = OLR/2 \text{ independent of } \tau_g$$

The temperature at the bottom of the atmosphere at τ^* is given by Equation (3.47), so that we have a discontinuity between the air temperature and that of the surface

$$T_s^4 - T(\tau^*)^4 = T_e^4/2 \quad (3.49)$$

Discontinuity at the ground: SFC SW+LW net = $OLR/2$

Constraint II.
in CERES EBAF Ed2.8
Clear-sky, CLIM YEAR

SFC SW+LW Net = 132.71

TOA LW = 265.82

(TOA LW) / 2 = 132.91

(TOA LW) / 2 – SFC Net = 0.2 ✓

Constraint II.
in CERES EBAF Ed4.0
Clear-sky, CLIM YEAR

SFC SW+LW Net	= 130.41
TOA LW	= 268.15
(TOA LW) / 2	= 134.07
(TOA LW) / 2 – SFC Net	= 3.7

My Net Balancing II.

Your (Constr I)

- SW gain = 1.7
- LW gain = 2.5

Parameter	TOA Flux adjustment (W/m ²)
Total SW	1.7
Total LW	2.5
Total Net	-4.2

Mine (Constr. II)

	SYN		EdMZ	N
SFC SW net	= 214.25	- 0.81	= 213.44	8
SFC LW net	= -79.46	- 0.58	= -80.04	-3
SFC SW+LW net	= 134.79	- 1.39	= 133.40	5
TOA LW	= 268.15	- 1.35	= 266.80	10
TOA LW/2	= 134.08	- 0.68	= 133.40	5
Diff	= 0.71		= 0.0	

**A THIRD constraint in
CERES SYN1deg Ed4A SFC
Clear-sky Oct 2000 – Sep 2018**

SFC SW down	=	242.65
– SFC SW up	=	– 28.40
= SFC SW net	=	214.25
+ SFC LW down	=	317.77
= SFC SW+LW abs	=	532.02
TOA LW	=	268.15
2 × (TOA LW)	=	536.30
Diff	=	– 4.28

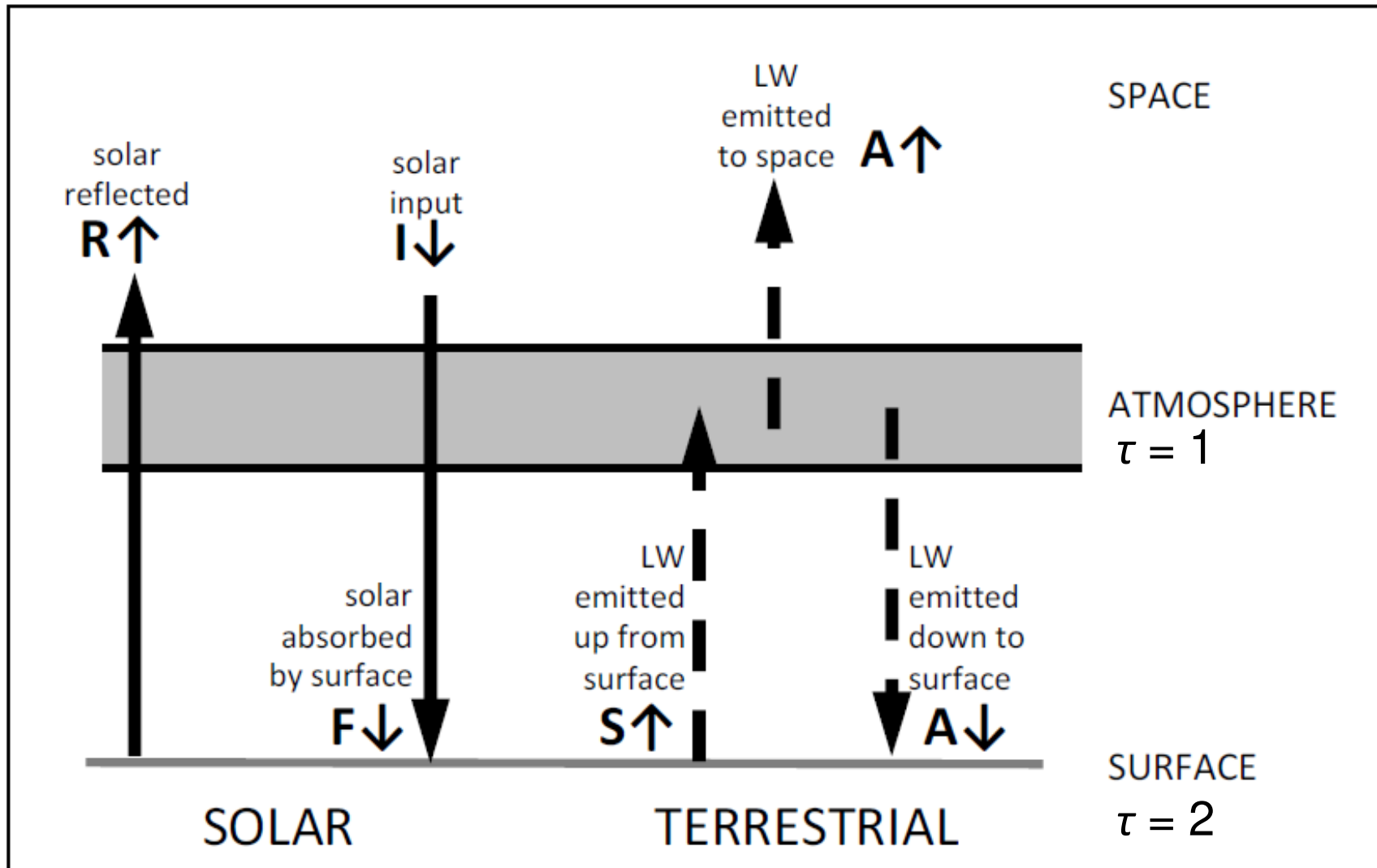
Constraint III.

SFC SW+LW abs

= 2 TOA LW

Same confidence as
Constraint I.

What Does Constraint III. Mean?



$$S = 2A = 2F$$

Modified from
Marshall-Plumb (2008)

Liou (1980)

Fig. 8.20, we may write down the energy balance equations at the top of the atmosphere and the surface, respectively, in the forms

$$Q(1 - \bar{r}) - \bar{\epsilon}\sigma T_a^4 - (1 - \bar{\epsilon})\sigma T^4 = 0, \quad (8.31)$$

$$Q(1 - \bar{r} - \bar{A}) + \bar{\epsilon}\sigma T_a^4 - \sigma T^4 = 0, \quad (8.32)$$

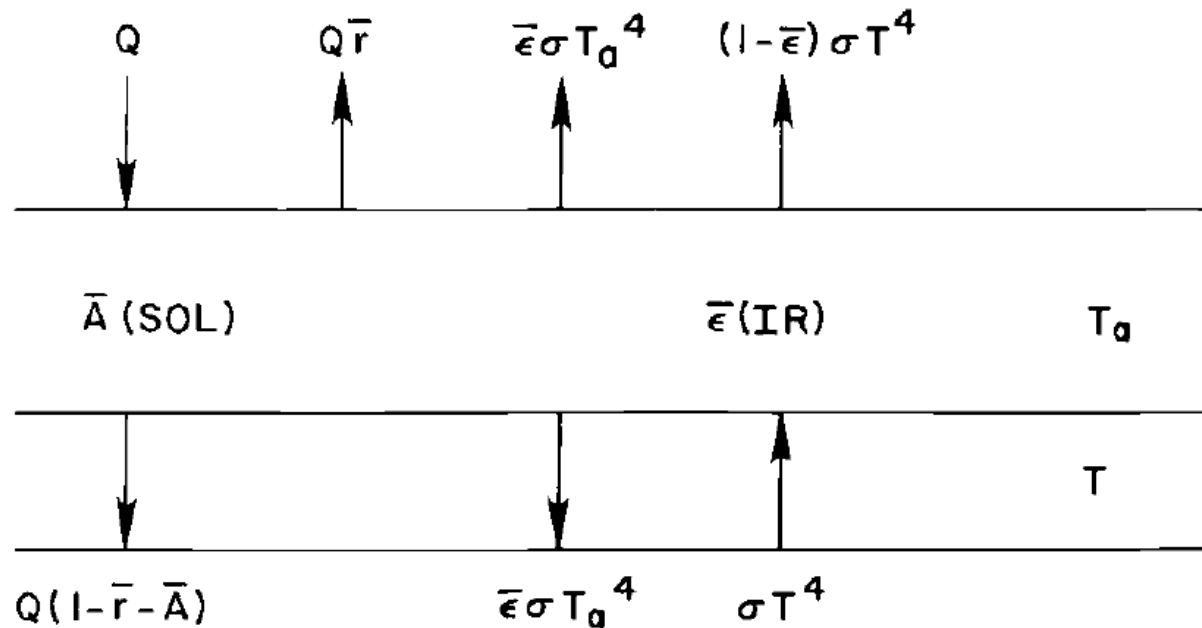


Fig. 8.20 Two-layer global radiative budget model.

Trivial solution to the radiative transfer problem

with $\bar{A} = 0$ and $\bar{\epsilon} = 1$, $\sigma T^4 = 2\sigma T_a^4$

What Do Constraints II & III Mean?

Constraint II is a theoretical requirement
Constraint III is the simplest geometry

Discontinuities at the boundaries:

$$\pi\Delta B_0 = \pi\Delta B_g = F_S / 2 = OLR/2,$$

independent of τ .

$$\pi B_0 = \sigma T_0^4 = F_S (1 + \tau) / 2$$

$$\pi B_g = \sigma T_g^4 = F_S (2 + \tau) / 2$$

$$\text{With } \tau_g = 2, \pi B_g = 2F_S = 2OLR.$$

They, together, describe a **unique, specific state**

Why are they important?

- **Mars: $E(\text{SFC}) \ll 2\text{OLR}$**

$$E(\text{SFC}) = (\text{SW} + \text{LW})_{\text{abs}} = 123 \text{ Wm}^{-2}$$

$$2\text{OLR} = 2 \times 110; \text{ WIN} = 97 \text{ Wm}^{-2};$$

$E(\text{SFC}) = 2\text{OLR} - \text{WIN}$ the value of WIN is missing

No clouds, leaky greenhouse: WIN is lost without compensation

- **Venus: $E(\text{SFC}) \gg 2\text{OLR}$**

$$E(\text{SFC}) = 2\text{OLR} + k \times \text{SFC LWCRE}$$

Multiple-closed cloud layers, WIN = 0

- **Earth: $E(\text{SFC, clear}) = 2 \text{OLR}(\text{clear}) = 2 \times 266.8 \text{ Wm}^{-2}$**

$$E(\text{SFC, clear}) = 2 \text{ASR}(\text{clear}) - \text{WIN}(\text{clear}) + \text{LWCRE}$$

$$E(\text{SFC, clear}) = 2 \times 286.81 - 66.70 + 26.68 \quad \text{EXACT !}$$

- Earth: $E(\text{SFC, all}) = 2\text{OLR}(\text{all}) + \text{LWCRE}$

Leaky greenhouse + partial cloud cover:

Atmospheric window closed by the blanketing effect of clouds

Constraints I, II and III.

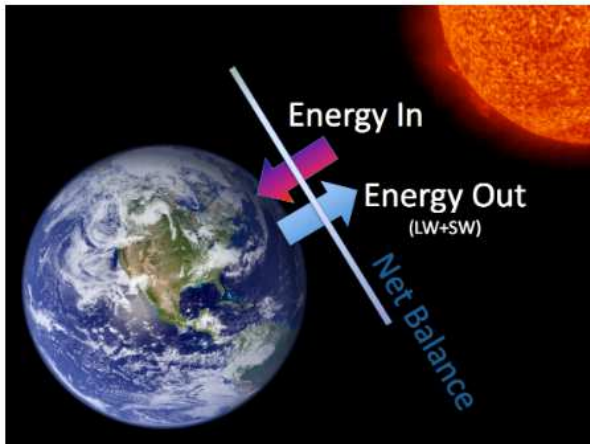
The One, The Half and The Double

$$\text{ASR} = \text{OLR}$$

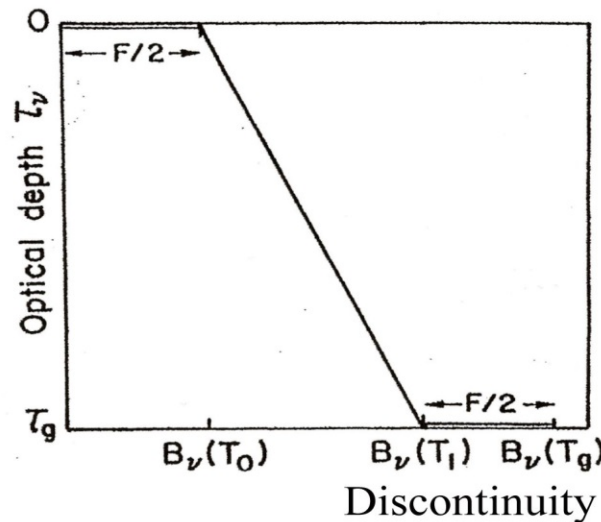
$$\text{SFC Net} = \text{OLR}/2$$

$$\text{SFC Gross} = 2\text{OLR}$$

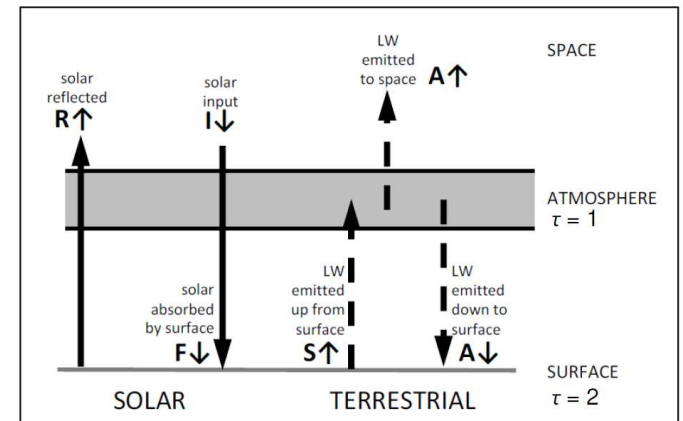
CERES Earth's Radiation Budget



Universal necessity



Theoretical requirement



Simplest model

Constraint III.

in CERES EBAF Ed2.8

Clear-sky, CLIM YEAR

	SYN		Ed2.8
SFC SW net	214.25	+ 0.09	= 214.34
SFC LW down	317.77	- 1.49	= 316.28
SW+LW gross	532.02	- 1.40	= 530.62
TOA LW	268.15	- 2.55	= 265.60
2(TOA LW)	536.30	- 5.10	= 531.20
DIFF	- 4.28		0.58 ✓

Constraint III.

in CERES EBAF Ed4.0

Clear-sky, CLIM YEAR

	Ed4.0	SYN	My	EdMZ	Integers
SFC SW net	= 213.99	214.25	- 0.81	213.44	8
SFC LW down	= 314.02	317.77	+ 2.39	320.16	12
SW+LW abs	= 528.01	532.02	+ 1.58	533.60	20
TOA LW	= 268.04	268.15	- 1.35	266.80	10
2(TOA LW)	= 536.08	536.30	- 2.70	533.60	20
DIFF	= - 8.1	- 4.28		0.0	

My Net Balancing I.

Total Solar Irradiance = **1360.68** Wm⁻² = **51** units

1 unit = TSI / **51** = **26.68** Wm⁻²

Incoming Solar Radiation = **51/4** = **340.17** Wm⁻²

Reflected all-sky disk = **15** units

Absorbed all-sky disk = **36** units

Reflected all-sky sphere = **15/4** units = **100.05**

Absorbed all-sky sphere = **36/4** units = **240.12**

Reflected **clear-sky** disk = **8** units

Absorbed **clear-sky** disk = **43** units

Reflected clear-sky sphere = **8/4** units = **53.36**

Absorbed clear-sky sphere = **43/4** units = **286.81**

My Net Balancing I – II – III.

UNIT = 26.68 Wm⁻²	SYN	Mine	N × UNIT	N
TSI	= 1360.9	– 0.22	= 1360.68	51
TOA SW up all	= 97.32	+ 2.73	= 100.05	15 / 4
TOA LW up all	= 238.63	+ 1.49	= 240.12	36 / 4
TOA SW up clr	= 51.38	+ 1.98	= 53.36	8 / 4
TOA LW up clr	= 268.15	– 1.35	= 266.80	40 / 4
<hr/>				
SFC SW+LW net clr	= 134.79	– 1.39	= 133.40	5
(TOA LW)/2 clr	= 134.08	– 0.68	= 133.40	5
<hr/>				
SFC SW net clr	= 214.25	– 0.81	= 213.44	8
SFC LW down clr	= 317.77	+ 2.39	= 320.16	12
SFC SW+LW abs clr	= 532.02	+ 1.58	= 533.60	20
2 × (TOA LW) clr	= 536.30	– 2.70	= 533.60	20
<hr/>				
G(clear-sky)	= 129.08	+ 4.32	= 133.40	5
G(all-sky)	= 159.36	+ 0.72	= 160.08	6

